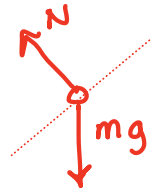
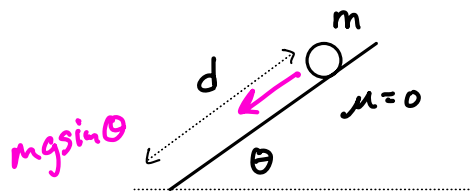


A Closer Look at GRAVITY and WORK

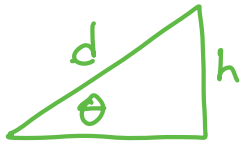


$$\sum F_{\parallel} = ma$$

$$mg \sin \theta = ma$$

$$\sum F_{\perp} = 0$$

$$N - mg \cos \theta = 0$$



what is the work done by gravity on object going down the ramp?

$$W = Fd \rightarrow \underline{\text{but}} \text{ } F \text{ is component parallel to } d.$$

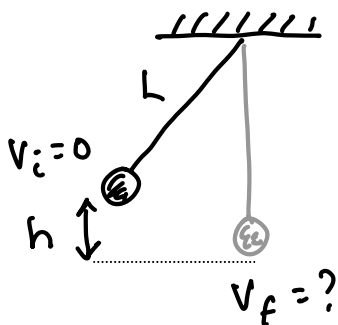
$$\therefore W_g = (mg \sin \theta) d$$

$$\therefore W_g = mgh$$

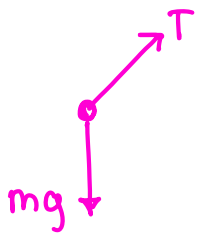
hey! $(\sin \theta) d = h$
(the "height" the mass "fell")

BIG IDEA: The work done by gravity **ONLY** depends on change in **HEIGHT**!

This can make difficult problems easy! Let's do an example!



A mass is on the end of a string of length L . The mass is pulled back so that it is a distance h above its lowest point. How fast will it go at the bottom of its swing after being released?



There are ONLY 2 forces acting on the mass. We need to find the work done by each force so we can say

$$\Sigma W = \Delta K.$$

Notice that the tension in the string is ALWAYS \perp to its velocity - meaning it is always \perp to the displacement of the mass.

* This means the work done by the Tension is 0!

$$W_T = 0$$

The work by gravity is easy:

$$W_g = mgh$$

So

$$\Sigma W = \Delta K$$

$$W_T + W_g = \frac{1}{2}mv_f^2 - \frac{1}{2}mv_i^2$$

$$0 + mgh = \frac{1}{2}mv_f^2$$

$$v_f = \sqrt{2gh}$$